Name $\qquad$ Date $\qquad$

## 3.4 - Properties of Perpendicular Lines

1) Suppose you are laying tiles. You place several different rectangles together to form a larger rectangle.
a. $\overline{B C}$ is parallel to $\overline{D F}, \overline{D F}$ is parallel to $\overline{G H}$. What is the relationship between $\overline{B C}$ and $\overline{G H}$ ? What property explains this?
b. $\overline{B K}$ is parallel to $\overline{E L} . \overline{G H}$ is perpendicular to $\overline{B K}$. What is the relationship between $\overline{G H}$ and $\overline{E L}$ ? What theorem would explain this?

2) A student says that according to the Perpendicular to the Same Line

Theorem, $\overleftrightarrow{A B}$ and $\overleftrightarrow{B C}$ must be parallel because they are both perpendicular to $\overleftrightarrow{B F}$. Explain the student's error.

3) Complete this paragraph proof.

Given: $q\|r, r\| s, b \perp q$, and $a \perp s$
Prove: $a \| b$
Proof: Because it is given that $q \| r$ and $r \| s$, then $q \| s$ by the $\qquad$
$\qquad$ This means that $\angle 1 \cong \angle$ $\qquad$ because they are

$\qquad$ . Because $b \perp q, m \angle 1=90$. So, $m \angle 2=$ $\qquad$ .

This means $s \perp b$, by definition of perpendicular lines. It is given that $a \perp s$, so $a \| b$ by the $\qquad$ Theorem.
4) Draw a diagram that meets the criteria listed below. Then describe how all the lines are related to each other.
a. $q \| r$
b. $r \perp s$
c. $t \| q$
d. $u \perp t$

How are they all related to each other?

In \#5 and $6, a, b, c$, and $d$ are distinct lines in the same plane. For each combination of relationships, tell how $a$ and $c$ relate. Justify your answer with a theorem.
5. $a \perp b ; b \perp c$
6. $a \perp b ; b \| c$
7) The recreation department is setting up the football field. They check to make sure that the 50 -yd line and the end zone lines are perpendicular to the right sideline. Does this mean both sidelines are parallel? Explain.

End Zone

Fifty-Yard Line

End Zone
8) Apple Road is perpendicular to Blueberry Lane. Blueberry Lane is parallel to Cornflower Drive. Cornflower Drive is perpendicular to Daffodil Lane. Daffodil Lane is parallel to Evergreen Drive. Draw a diagram to explain how each street is related to every other street. What can you conclude about Apple Road and Evergreen Drive? Explain.

In \#9 and 10, determine which lines, if any, must be parallel. Explain your reasoning.
9)

10)

11. Determine which lines must be parallel. Explain your reasoning.


